

Practical Circuits & Kirchoff's Law

Mark Scheme 4

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| Level | International A Level |
| Subject | Physics |
| Exam Board | CIE |
| Topic | D.C. Circuits |
| Sub Topic | Practical Circuits & Kirchoff's Law |
| Paper Type | Theory |
| Booklet | Mark Scheme 4 |

Time Allowed: 87 minutes

Score: /72

Percentage: /100

| A* | A | B | C | D | E | U |
|------|-------|-----|-------|-------|-----|------|
| >85% | 77.5% | 70% | 62.5% | 57.5% | 45% | <45% |

- 1 (a) (work =) force \times distance or force \times displacement or ($W =$) $F \times d$ M1
 units of work: $\text{kg m s}^{-2} \times \text{m} = \text{kg m}^2 \text{s}^{-2}$ A1 [2]
- (b) (p.d. =) $\frac{\text{work (done) or energy (transformed) (from electrical to other forms)}}{\text{charge}}$ B1 [1]
- (c) $R = V/I$ B1
 units of V : $\text{kg m}^2 \text{s}^{-2} / \text{As}$ **and** units of I : A C1
- or
 $R = P/I^2$ [or $P = VI$ **and** $V = IR$] (B1)
 units of P : $\text{kg m}^2 \text{s}^{-3}$ **and** units of I : A (C1)
- or
 $R = V^2/P$ (B1)
 units of V : $\text{kg m}^2 \text{s}^{-2} / \text{As}$ **and** units of P : $\text{kg m}^2 \text{s}^{-3}$ (C1)
- units of R : $(\text{kg m}^2 \text{s}^{-2} / \text{A}^2 \text{s} =) \text{kg m}^2 \text{s}^{-3} \text{A}^{-2}$ A1 [3]

CHEMISTRY ONLINE
 — TUITION —

- 2 (a) curved line showing decreasing gradient with temperature rise M1
- smooth line not touching temperature axis, not horizontal or vertical anywhere A1 [2]
- (b) (i) (no energy lost in battery because) no/negligible internal resistance B1 [1]
- (ii) $I = V/R$
- $= 8/15 \times 10^3$ or $1.6/3.0 \times 10^3$ or $2.4/4.5 \times 10^3$ or $12/22.5 \times 10^3$ C1
- $= 0.53 \times 10^{-3} \text{ A}$ A [2]
- (iii) p.d. across X = $12 - 8.0 - 3.0 \times 10^3 \times 0.53 \times 10^{-3}$ (= 2.4 V)
- $R_X = 2.4/(0.53 \times 10^{-3})$ C
- or
- $R_{\text{tot}} = 12/0.53 \times 10^{-3}$ (= $22.5 \times 10^3 \Omega$) (C1)
- $R_X = (22.5 - 15.0 - 3.0) \times 10^3$ (C1)
- $4.5(2) \times 10^3 \Omega$ A1 [3]
- (iv) resistance decreases hence current (in circuit) is greater M1
- p.d. across X and Y is greater hence p.d across Z decreases A1
- or explanation in terms of potential divider:
- R_Z decreases so $R_Z/(R_X + R_Y + R_Z)$ is less (M1)
- therefore p.d. across Z decreases (A1) [2]

- 3 (a) $R = \rho l / A$ C1
- $A = [\pi \times (0.38 \times 10^{-3})^2] / 4 \quad (= 0.113 \times 10^{-6} \text{ m}^2)$ C
- $R = (4.5 \times 10^{-7} \times 1.00) / ([\pi \times (0.38 \times 10^{-3})^2] / 4) = 4.0 \text{ (3.97)} \Omega$ M1 [3]
- (b) (i) $I = V/R$ C1
 $= 2.0 / 5.0 = 0.4(0) \text{ A}$ A [2]
- (ii) p.d. across BD $= 4 \times 0.4 = 1.6 \text{ V}$ A [1]
- (iii) p.d. across BC (l) $= 1.5 \text{ (V)}$
- BC (l) $= (1.5 / 1.6) \times 100 = 94 \text{ (93.75) cm}$ [2]
- (c) p.d. across wire not balancing e.m.f. of cell OR cell Y has current energy lost or lost volts due to internal resistance B1
 B1 [2]
- 4 (a) e.m.f.: energy converted from chemical/other forms to electrical per unit charge B1
 p.d.: energy converted from electrical to other forms per unit char B1 [2]
- (b) (i) the p.d. across the lamp is less than 12V
 or there are lost volts/power/energy in the battery/internal resistance B1 [1]
- (ii) $R = V^2 / P$ (or $V = RI$ and $P = VI$) C
 $= 144 / 48$
 $= 3.0 \Omega$ A1 [2]
- (iii) $I = E / (R_T + r)$ C
 $= 12 / 2.0$
 $= 6.0 \text{ A}$ A1 [2]
- (iv) power of each lamp $= I^2 R$
 $= (3.0)^2 \times 3.0$ C1
 $= 27 \text{ W}$ A [2]
- (c) less resistance (in circuit)/more current B1
 more lost volts/less p.d. across battery A1 [2]

- 5 (a) (i) $I_1 + I_3 = I_2$ A1 [1]
- (ii) $E_1 = I_2 \frac{R_2}{2} + I_1 \frac{R_2}{2} + I_1 R_1 + I_1 r_1$ A1 [1]
- (iii) $E_1 - E_2$ B1
 $= -I_3 r_2 + I_1 (R_1 + r_1 + R_2 / 2)$ B1 [2]
- (b) p.d. across BJ of wire changes / resistance of BJ changes B1
 there is a difference in p.d across wire and p.d. across cell E_2 B1 [2]
- 6 (a) (i) movement/flow of charged particles B1 [1]
- (ii) work done per unit charge (transferred) B1 [1]
- (b) straight line through origin B1
 resistance = V/I , with values for V and I shown M1
 $= 20 \Omega$ A0 [2]
 (using the gradient loses the last mark)
- (c) (i) 0.5A A [1]
- (ii) *either* resistance of each resistor is 20Ω *or* total current = 0.8A C
either combined resistance = 10Ω *or* $R = E/I = 10 \Omega$ A1 [2]
- (d) (i) 10V A [1]
- (ii) power = EI C1
 $= 10 \times 0.2 = 2.0W$ A [2]

- 7 (a) (i) resistance is ratio V/I (at a point) B1
either gradient increases or I increases more rapidly than V B1 [2]
(If states $R = \text{reciprocal of gradient}$, then 0/2 marks here)
- (ii) current = 2.00 mA C1
 resistance = 2 000 Ω A1 [2]
- (b) (i) straight line from origin M1
 passing through (6.0 V, 4.0 mA) (allow $\frac{1}{2}$ square tolerance) A1 [2]
- (ii) individual currents are 0.75 mA and 1/33 mA C1
 current in battery = 2.1 mA A1 [2]
(allow argument in terms of $P = I^2R$ or IV)
- (c) same current in R and in C M1
 p.d. across C is larger than that across M1
 so since power = VI , greater in C A1 [3]
(allow argument in terms of $P = I^2R$ or IV)
- 8 (a) (i) resistance = V/I C1
 = $6.0/(40 \times 10^{-3})$
 = 150 Ω A1
 (no marks for use of gradient)
- (ii) at 8.0 V, resistance = $8.0/(50 \times 10^{-3}) = 160 \Omega$ C1
 change = 10 Ω A1 [4]
- (b) (i) straight line through origin M1
 passes through $I = 40 \text{ mA}$, $V = 8.0 \text{ V}$ A1
- (ii) current in both must be 40 mA C1
 e.m.f. = $8.0 + 6.0 = 14.0 \text{ V}$ A1 [4]