# Motion Graphs
## Mark Scheme 4

| Level | International A Level |
|---|---|
| Subject | Physics |
| Exam Board | CIE |
| Topic | Kinematics |
| Sub Topic | Motion Graphs |
| Paper Type | Theory |
| Booklet | Mark Scheme 4 |

**Time Allowed:**      **48 minutes**

**Score:**      **/40**

**Percentage:**      **/100**

| A* | A | B | C | D | E | U |
|---|---|---|---|---|---|---|
| >85% | '77.5% | 70% | 62.5% | 57.5% | 45% | <45% |

1 **(a** (work =) force × distance <u>moved</u> / displacement in the direction of the force
OR when a force moves in the direction of the force work is done                    B1    [1]


**(b)** kinetic energy = ½ $mv^2$                                                        C1
= ½ 0.4 $(2.5)^2$ = <u>1.25</u> / 1.3 J                                              A1    [2]


**(c)** **(i)**  area under graph is work done / work done = ½ $Fx$                       C1
1.25 = (14 $x$) / 2                                                                    C1
$x$ = 0.18 (0.179) m      [allow $x$ = 0.19 m using kinetic energy = 1.3 J]           A1    [3]

**(ii)** smooth curve from $v$ = 2.5 at $x$ = 0 to $v$ = 0 at Q                       M1
curve with increasing gradient                                                        A1    [2]


2 **(a** **(i)**  acceleration = change in velocity / time (taken)
or acceleration = rate of change of velocity                                          B1    [1]

**(ii)**  a body continues at constant velocity unless acted on by a resultant force   B1    [1]


**(b)** **(i)**  distance is represented by the area under graph                        C1
distance = ½ × 29.5 × 3 = 44.3 m  (accept 43.5 m for 29 to 45 m for 30)               A1    [2]

**(ii)**  resultant force = weight – frictional force                                  B1
frictional force increases with speed                                                 B1
at start frictional force = 0 / at end weight = frictional force                      B1    [3]

**(iii)** **1.**   frictional force increases                                          B1    [

**2.**   frictional force (constant) and then decreases                               B1    [1]

**(iv)** **1.**    acceleration = $(v_2 – v_1) / t$ = (20 – 50) / (17 – 15)             C1
= (–) 15 m s$^{-2}$                                                                    A1    [2]

**2.**    $W – F = ma$                                                                 C1
$W$ = 95 × 9.81 (= 932)                                                                C1
$F$ = (95 × 15) + 932 = 2400 (2360) (2357) N                                           A     [3]

3 **(a)** weight = 452 × 9.81
    component down the slope = 452 × 9.81 × sin 14°                M1
    = 1072.7 = 1070 N                                     A0   [1]

**(b)** **(i)** $F = ma$                                           C1
        $T - (1070 + 525) = 452 × 0.13$               C1
        $T = 1650 (1653.76) N$  *any forces missing 1/3*     A1   [3]

    **(ii)** **1.** $s = ut + ½at^2$ hence $10 = 0 + ½ × 0.13t^2$      C1
            $t = [(2 × 10) / 0.13]^{1/2} = 12.4$ or $12 s$     A1   [2]

        **2.** $v = (0 + 2 × 0.13 × 10)^{1/2} = 1.61$ or $1.6 m s^{-1}$    A1   [1]

**(c)** straight line from the origin                               B1
    line down to zero velocity in short time compared to stage 1     B1
    line less steep negative gradient                      B1
    final velocity larger than final velocity in the first part – at least 2×   B1   [4]

4 **(a)** **(i)** scatter of points (about the line)                   B1
     **(ii)** intercept (on $t^2$ axis)                        B1  **[2]**
        *(note that answers must relate to the graph)*

  **(b)** **(i)** gradient = $\Delta y / \Delta x = (100 - 0)/(10.0 - 0.6)$       C1
        gradient = 10.6 (cm s$^{-2}$)  *(allow ±0.2)*        A1  **[2]**
        (Read points to within $\pm \dfrac{1}{2}$ square. Allow 1 mark for 11 cm s$^{-2}$
        *i.e. 2 sig fig, -1. Answer of 10 scores 0/2 marks)*
     **(ii)** $s = ut + \dfrac{1}{2} at^2$                              B1
        so acceleration = 2 x gradient                   B1
        acceleration = 0.212 m s$^{-2}$                  B1  **[3]**
                                       **Total**   **[7]**